## VOSA: A short introduction.

## SEDs in the Virtual Observatory

## Enrique Solano

## Why SEDs (Spectral Energy Distributions)?

## Wavelength $(\dot{A}) \xrightarrow{2,500 \mathrm{~K}}$



## Why SEDs (Spectral Energy Distributions)?



## Why SEDs (Spectral Energy Distributions)?



## Building SEDs



## How to build a Spectral Energy Distribution?

## Ingredients



- Multiwavelength photometry (observational and theoretical)


Data discovery, gathering and manipulation.


## Building SEDs: Difficulties

## - Data Manipulation: From magnitudes to fluxes



I/337/gaia Gaia DR1 (Gaia Collaboration, 2016
Post annotation GaiaSource data (Download Gaia Sc


## A EUROPEAN SPACE AGENCY [' SCIENCE \& TECHNOLOGY © ${ }^{\top}$ <br> GAIA DATA RELEASE DOCUMENTATION

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## Cesa

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Gaia Data Release 1 Documentation release D. 0
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[-] Gaia Data Release 1
Documentation release D.
I Introduction to Gaia DR1
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5 Photometry
5.2 Properties of the input data
5.3 Calibration models

$$
m_{x}=-2.5 \log _{10}\left(\frac{F_{x}}{F_{x, 0}}\right)
$$

## Building SEDs: Difficulties

## - Data Manipulation: From theoretical spectra to synthetic photometry



## VOSA to the rescue



- Available since 2008.
- More than 1000 users.
- More than 1.600.000 objects.
http://svo2.cab.inta-csic.es/theory/vosa/ .

- 84 refereed papers.


## Science case

## THE ASTRONOMICALJOURNAL

# Accurate Empirical Radii and Masses of Planets and Their Host Stars with Gaia Parallaxes 

Keivan G. Stassun ${ }^{1,2}$ (D), Karen A. Collins ${ }^{1,2}$ (iD), and B. Scott Gaudi ${ }^{3,4}$<br>Published 2017 March 2 • © 2017. The American Astronomical Society. All rights reserved.<br>The Astronomical Journal, Volume 153, Number 3

## Science case

## - Masses and radii of planets are necessary to:

- Shed light on inflated hot-Jupiters.
- 0.2-2.1MJup. Radii larger than predicted by models.
- Internal heating.
$\rightarrow$ Planet radius as a function of irradiation, age, magnetic fields, winds,...

$$
\Delta \mathrm{F}=\left(\frac{R_{\text {planet }}}{R_{\text {star }}}\right)^{2}
$$

$$
M_{p}=\frac{K_{\mathrm{RV}} \sqrt{1-e^{2}}}{\sin i}\left(\frac{P}{2 \pi G}\right)^{1 / 3} M_{\star}^{2 / 3}
$$

## Science case



- Empirical determination (model independent) of the radii and masses of stars hosting planets.
- Fbol $\rightarrow$ empirical
- Lbol=4 $=\mathrm{D}^{2}$ Fbol ( D from TGAS parallaxes)
- $\mathrm{R}=\mathrm{sqrt}\left(\mathrm{Lbol} /\left(4 \pi \sigma\right.\right.$ eff $\left.\left.^{4}\right)\right)$
- $g=G M / R^{2}$

